

列节点电压方程:

$$(\frac{1}{5} + \frac{1}{10})V_{n1} - \frac{1}{10}V_2 = 0.1V_2 + 4$$

$$\text{补充方程 } \frac{V_2 + V_s - V_{n1}}{10} = I_1$$

$$2I_1 - V_2 = I_1 + \frac{V_2}{10}$$

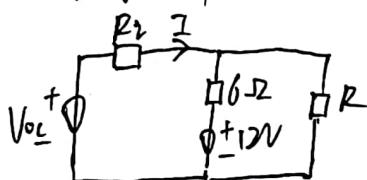
$$\text{解之得 } V_{n1} = \frac{10V}{\cancel{2}} \quad V_2 = 10V \quad V_{n2} = 2I_1 = \cancel{2}V \quad V_{n3} = V_2 = \cancel{10V}.$$

$$I_1 = 2.5A.$$

$$\therefore V_{oc} = V_{n1} - V_{n2} + 5 \times (10 - V_2) = 2.5V.$$

$$\cancel{P_{out} = 2.5 \times 1 = 2.5W}. \quad P_{out} = -2.5 \times 0.5 = -1.25W,$$

2. 对串路作戴维南等效:



$$\text{当 } R \rightarrow \infty \text{ 时, 有 } \frac{V_{oc} - 12}{R_i + b} = 1.6.$$

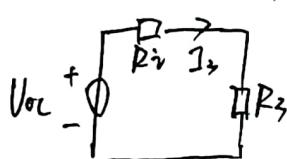
$$\text{当 } R = 12\Omega \text{ 时, 有例并联支路可取极性为 } \begin{matrix} \oplus \\ \ominus \end{matrix} 8V \quad \begin{matrix} \ominus \\ \oplus \end{matrix} 4\Omega.$$

$$\therefore \text{有 } \frac{V_{oc} - 8}{R_i + 4} = 2.5.$$

$$\text{解之得 } V_{oc} = 28V \quad R_i = 4\Omega.$$

$$\text{当 } R = 3\Omega \text{ 时, 有例支路发极性为 } \begin{matrix} \oplus \\ \ominus \end{matrix} 4V \quad I = \frac{28 - 4}{4 + 2} = 4A.$$

3. 将  $R_3$  外串路作戴维南等效:



$$\text{其中 } V_{oc} = k \cdot V_s.$$

$$\text{则 } I_3 = \frac{k \cdot V_s}{R_i + R_3}. \quad \text{引入数据有 } k = \frac{3}{4} \quad R_i = \frac{15}{4}\Omega.$$

$$\therefore \text{当 } V_s = 13V, R_3 = 6\Omega \text{ 时 } I_3 = \frac{\frac{3}{4} \times 13}{6 + \frac{15}{4}} = 1A.$$

将  $I_3$  支路用电流源置换  $I_2 = I_3$ , 则可设  $I_2 = k_1 V_s + k_2 I_3$ . 引入数据得  $k_1 = \frac{1}{4}$   $k_2 = \frac{3}{4}$

$$\therefore \text{当 } I_3 = 1A \text{ 时 } I_2 = \frac{13}{4} + \frac{3}{4} = 4A.$$



4. 设  $\bar{I}_L = 5\angle 0^\circ$ , 则  $\dot{V}_L = \bar{I}_L \cdot (9 + j12) = 75 \angle 53.13^\circ V$ .

$$\therefore \bar{I}_c = 3 \angle 143.13^\circ A, \quad \bar{I}_{\text{总}} = \bar{I}_c + \bar{I}_L = 3.16 \angle 34.70^\circ A.$$

$$\dot{V}_S = \bar{I}_{\text{总}} \times 25 + \dot{V}_C = 152.07 \angle 43.67^\circ.$$

5. 由题意:  $P_{\text{阳光}} = 40 \times 100 = 4000 W \quad \lambda = 0.5 \Rightarrow \varphi = 60^\circ$

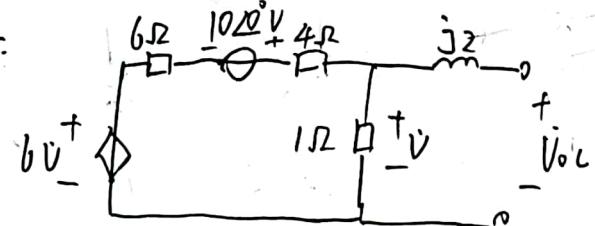
$\therefore Q_{\text{阳光}} = P_{\text{阳光}} \cdot \tan \varphi = 4000\sqrt{3} \text{ var}$ . 该能并入  $n$  盒  $\text{阳光}$

$$S = \sqrt{(4000 + n \cdot 80)^2 + (4000\sqrt{3})^2} = 10000 V \cdot A.$$

$n = 53.51$  盒.  $\therefore$  能并入 53 盒.

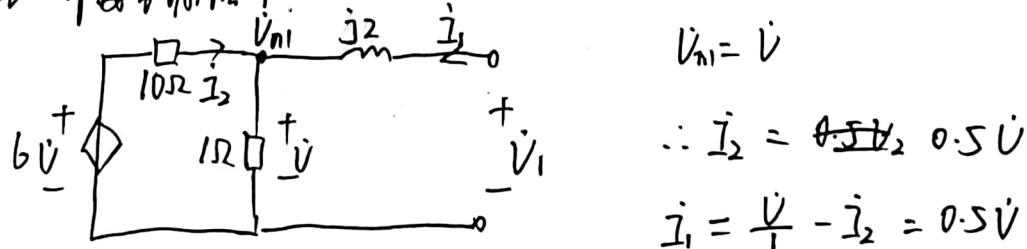
6. 对  $Z_L$  之外接电源有阻塞极板.

① 求  $\dot{V}_{oL}$ :



$$\dot{V}_{oL} = \dot{V}, \quad \text{而} \quad \frac{10\Omega + 6\dot{V}}{6 + 4 + 1} = \frac{\dot{V}}{1} \quad \therefore \dot{V}_{oL} = \dot{V} = 2\dot{V}.$$

② 求  $Z_V$  (外接电源法)



$$\dot{V}_1 = I_1 \cdot 2\angle 90^\circ + \dot{V} = \sqrt{2}\dot{V} \angle 45^\circ.$$

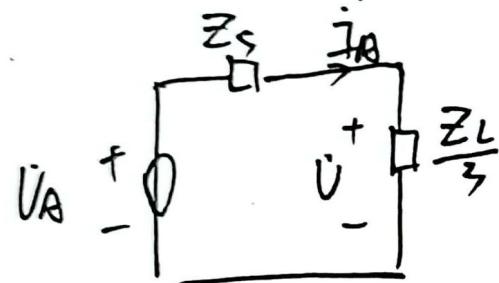
$$\therefore Z_V = \frac{\dot{V}_1}{I_1} = 2\sqrt{2} \angle 45^\circ = (2 + 2j) \Omega.$$

$\therefore$  当  $Z_L = 2 - 2j$  时, 我最大功率  $P_{\text{max}} = 0.5 W$ .



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7. 取一相分析.



由题意知  $U = \frac{380}{\sqrt{3}} = 220V$ .

设  $U = 220\angle 0^\circ$ . 又  $\cos\varphi = 0.8$  且  $I_A = 2A = I_1$ .

$$\therefore I_A = 2 \angle 36.87^\circ$$

$$\therefore U_{Zs} = I_A \cdot (2 + j4) = (8 + j4)V$$

$$U_A = U + U_{Zs} = 228.04 \angle 1^\circ$$

$$\therefore U_1 = \sqrt{3} U_A = 394.98V$$

$\therefore$  断开负载后测电压为  $394.98V$ .



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